

Structuring and linking of biological data guided by ontologies and the organizing principles of mathematical models

InOvive Meeting

December 15, 2022

People involved in the PhD

- ▶ **Olivier Inizan**, INRAE/LISN
- ▶ **Fatiha Saïs**, LISN (supervision)
- ▶ **Danaï Symeonidou**, INRAE (co-supervision)
- ▶ **Anne Goelzer**, INRAE (co-supervision)

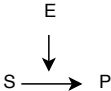
Context

System biology, whole cell modeling, BioSys group @INRAE

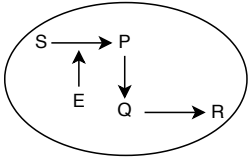


- ▶ A modeling approach that is a powerful principle to understand the organisation of biological networks in bacteria
- ▶ Exploit this principle in the field of knowledge representation
- ▶ Molecular scale, entities are molecules

H2O, Glucose, DNA, Proteins, Enzymes, ... are molecules
In the cell molecules are transformed through **biochemical reactions (BR)**



One biochemical reaction



A network of reactions

Molecular Biology

Molecular knowledge is **complex**

different types of molecules
different types of processes
different scales

Experimental data

heterogeneous, different types
fragmented, not always available

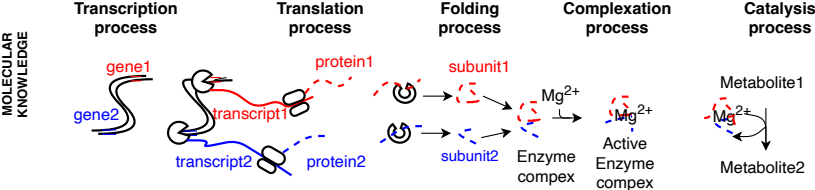
Molecular Biology

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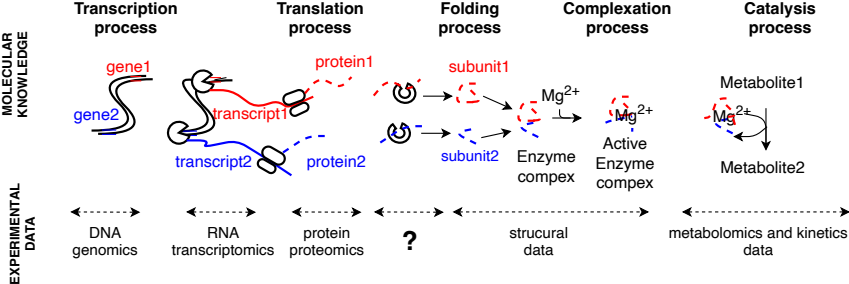
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Molecular Biology

Molecular knowledge is **complex**
 different types of molecules
 different types of processes
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Experimental data are **heterogeneous**, different types
fragmented, not always available



General questions

Taking into account the facts that (i) molecular biology provides complex knowledge and (ii) experimental data are heterogeneous and fragmented:

- ▶ Is it possible to link together these data and this knowledge?
- ▶ Is it possible to check the consistency of these data and knowledge?
- ▶ Is it possible to refine the links with fresh data and knowledge while keeping the consistency?

First Steps / State of art

Formal representations of knowledge and data

RESEARCH

Open Access

The bacterial interlocked process ONtology (BiPON): a systemic multi-scale unified representation of biological processes in prokaryotes



Vincent J. Henry^{1,2*}, Anne Goelzer^{2*}, Arnaud Ferré¹, Stephan Fischer², Marc Dinh², Valentin Loux², Christine Froidevaux¹ and Vincent Fromion²

METHODOLOGY ARTICLE

Open Access

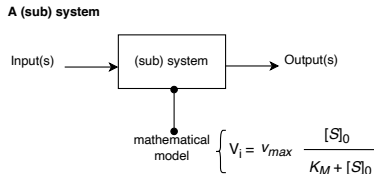
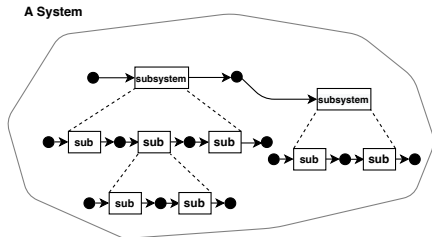
BiPOM: a rule-based ontology to represent and infer molecule knowledge from a biological process-centered viewpoint



Vincent Henry¹, Fatima Sali², Olivier Inizan¹, Elodie Marchadier³, Juliette Dible⁴, Anne Goelzer^{1*} and Vincent Fromion¹

1. Represent the molecular knowledge
 - ▶ The ontologies BiPON and BiPOM
 - ▶ They use the systemic approach to tackle the complexity
2. Represent the experimental data
 - ▶ Organize the data (since they are heterogeneous and fragmented)
 - ▶ Link this representation with the representation of knowledge

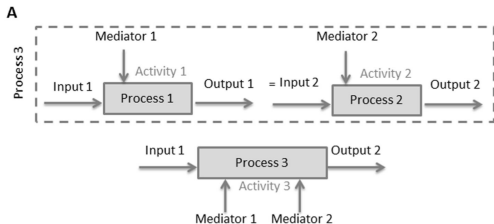
The systemic approach



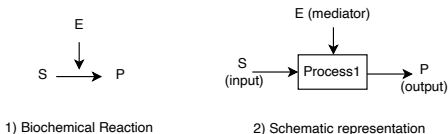
- ▶ Aim: simulate the behavior of a given system (for us the system is a bacteria)
- ▶ An interesting property: tackle the complexity of a given system
- ▶ How?: break down this system into connected sub-systems
- ▶ A sub-system: inputs, outputs and a function to fulfill
- ▶ The transformation of inputs to outputs is done through a mathematical model

BiPON/BiPOM and the systemic approach

- ▶ In BiPOM a sub-system is a Biological Process



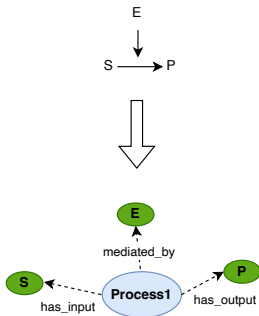
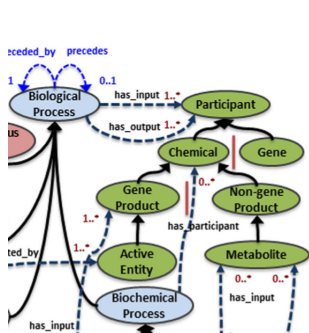
- ▶ The **Biochemical Reaction** (BR) transforms the molecule S to the molecule P and is mediated by the molecule E :



BiPON/BiPOM

The limit of BiPON/BiPOM to represent experimental data

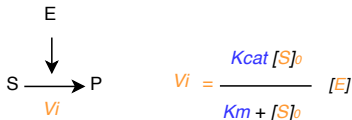
- ▶ Individuals that are inputs (resp. outputs or mediators) of a *BiologicalProcess* are always a molecule
- ▶ Ex: in BiPOM, individuals of class *Chemical*, *Gene*, (non)*GeneProduct*, *Metabolite* are molecules



- ▶ Well suited to represent *BR* since by definition a *BR* transform molecules to another molecules
- ▶ But *BR* are not directly relied to experimental data

Mathematical models are relied to experimental data

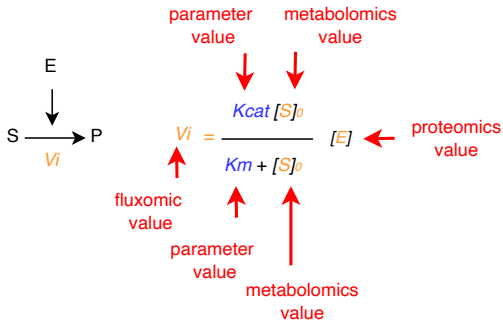
Ex: the speed of $S \rightarrow P$ is given by the following model



- ▶ A mathematical model: **variables** and **parameters**
- ▶ The values of **variables** and **parameters** represent (experimental) data
- ▶ The model organizes variables and parameters:
 $V_i = f(S_0, E, K_{cat}, K_m)$
 1. The inputs of the model are S_0, E, K_{cat}, K_m
 2. The output of the model is V_i

Mathematical models are relied to experimental data

The model organizes (experimental) data



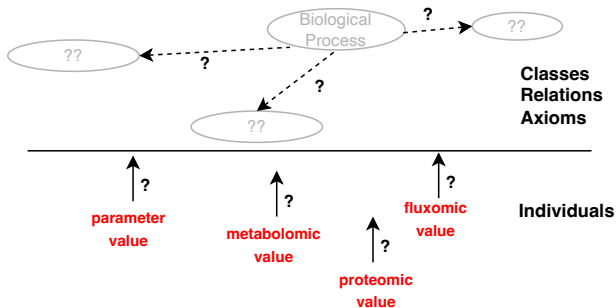
- ▶ The values of **variables** and **parameters** represent (experimental) data
- ▶ The model organizes these data:
 $fluxomics = f(proteomics, metabolomics, parameter_value)$
- ▶ BiPON/BiPOm: no classes to represent these values

Questions from a knowledge representation perspective

A new ontology for experimental data

Through variables and parameters, models are data organizers:

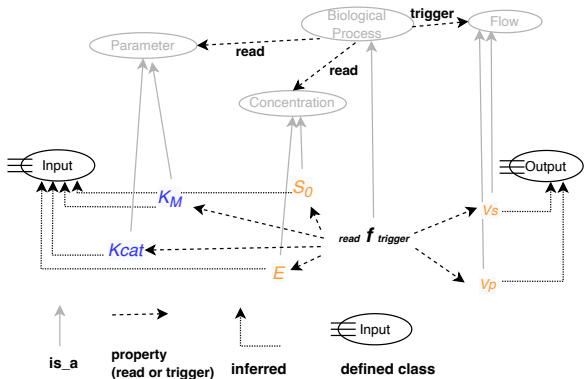
1. Can we find classes that represent variables and parameters?
2. Can we organize these classes like variables and parameters are organized in the models?



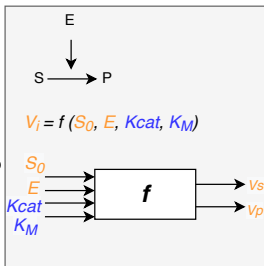
The new ontology

Input and Output are inferred

Classes and Individuals



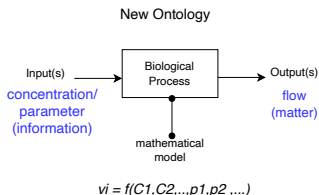
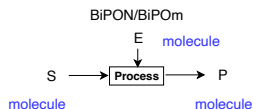
Schematic representation



$Input \equiv Concentration \sqcap \exists is_read_by. BiologicalProcess \sqcup Parameter \sqcap \exists is_read_by. BiologicalProcess$

$Output \equiv Flow \sqcap \exists triggered_by. BiologicalProcess$

Summary and discussion



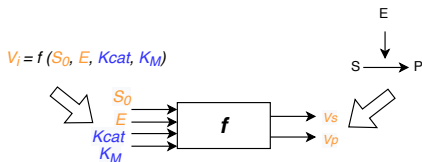
1. Since Inputs/Outputs are different classes, how to connect *Biological Processes*? $S \longrightarrow P \longrightarrow Q \longrightarrow R$
 - ▶ The pool connects flows and concentration ¹
2. Generalization of Inputs/Outputs:
 - ▶ Inputs are the **information** that are the cause of the process (T° , pressure, etc ...)
 - ▶ Outputs are **matter** exchange between the process and the env

¹Inizan O. et al. 2021, An ontology to structure biological data: the contribution of mathematical models

Discussion

In the example $S \rightarrow P$:

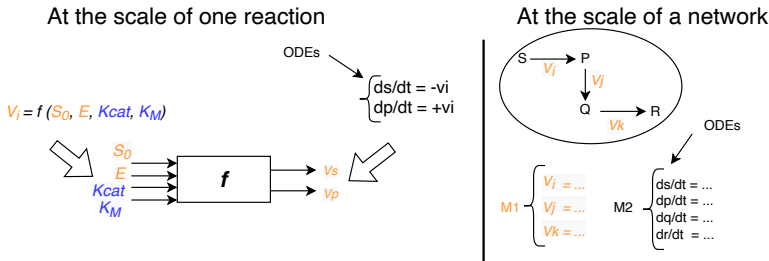
1. Where does the information come from?
2. Where does the matter exchange come from?



- ▶ The speed v_i contains the information, the inputs
- ▶ The BR contains matter exchange, the outputs

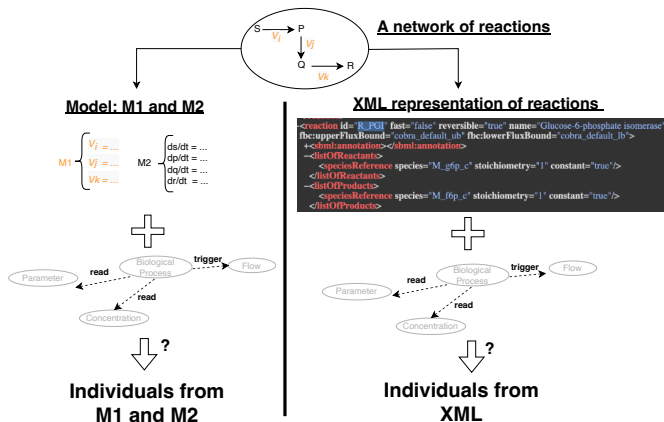
Discussion

1. Where does the information come from?
2. Where does the matter exchange come from?



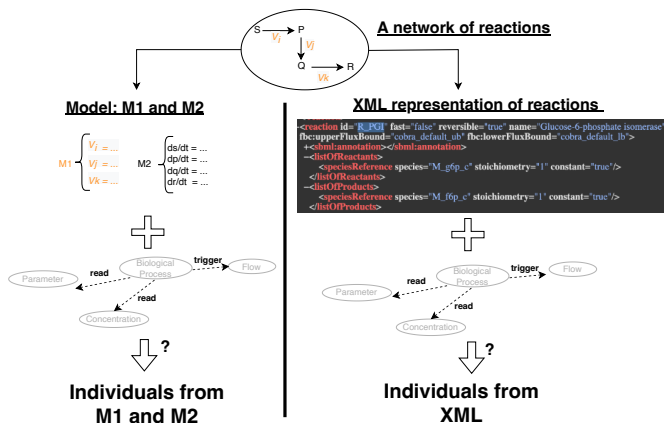
- ▶ The matter exchange is also available in another type of models: Ordinary Differential Equations (ODEs)
- ▶ A striking fact: 2 sets of math expressions ($M1$ and $M2$) contains all the information we need to populate the ontology

Questions



1. Given only *M1* and *M2* which model the dynamic of a network of reactions, can we populate the ontology?
2. Conversely, can we populate the ontology with only *BR* (in XML)?
3. What is the motivation to populate the ontology with 2 different sources?

Questions



1. Given only *M1* and *M2* which models the dynamic of a network of reactions, can we populate the ontology?
2. Conversely, can we populate the ontology with only *BR* (in XML)?
3. What is the motivation to populate the ontology with different sources?

General questions

What is the motivation to populate the ontology with different sources?

Taking into account the facts that (i) molecular biology provides complex knowledge and (ii) experimental data are heterogeneous and fragmented:

- ▶ Is it possible to link together these data and this knowledge?
- ▶ Is it possible to check the consistency of these data and knowledge?
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Since the information of different sources are represented with the same classes and relations, a linkage can be considered.

Perspectives

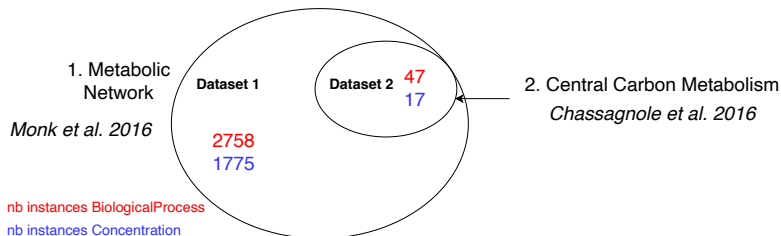
1. Consider a linkage and (possibly) evaluate the consistency: we need two sources of informations represented with the ontology
2. Refine the links with another source of information

Perspectives

Brief description of 2 examples of sources of informations

- ▶ XML representation of reactions, Source 1 *Monk et al. 2016*
 - ▶ M1 and M2, Source 2 *Chassagnole et al. 2002*
1. **Source 1** describes the reactions of the entire metabolic network of the bacteria *E.coli*.
 2. **Source 2** is a model that study the dynamic of a sub-network of the metabolic network of the bacteria *E.coli*.

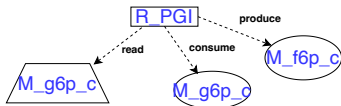
The ontology has been populated with each source, we have obtained 2 datasets:



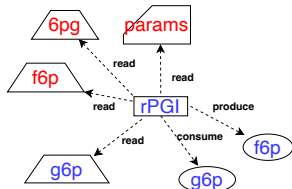
In the perspective to link biological processes


The process named "PGI" in each dataset


Biological Process "R_PGI" from Dataset 1



Biological Process "rPGI" from Dataset 2



 BiologicalProcess

 Concentration

 Parameter

 Flow

Common to dataset 1 and 2

Specific to dataset 2

We want to investigate contextual identity links

Conclusion

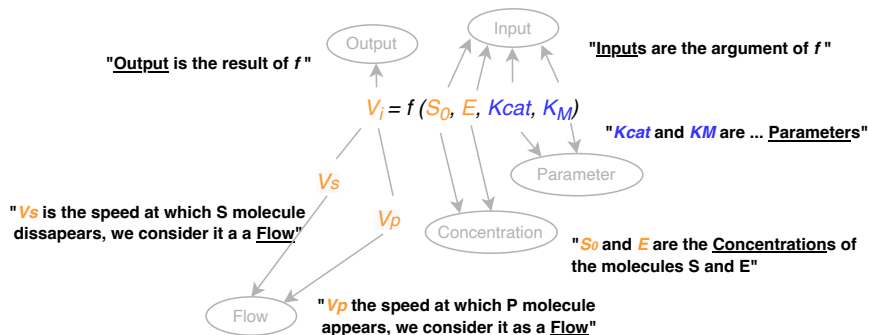
- ▶ Contributions:
 1. An ontology that was originally designed to structure data but that would allow us to consider the linkage between different sources of informations
 2. A RDF vocabulary for the representation and the querying of complex math expressions: the ODEs
- ▶ Short term perspective: investigate contextual identity links with the aid of datasets produced by us
- ▶ Middle term perspective, consider a new source of information that presents interesting characteristics:
 1. Another modelisation paradigm: constraints based instead of ODEs
 2. Covers a wider range biological processes

Thank you for your attention

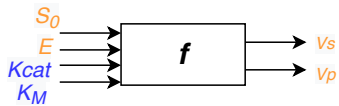
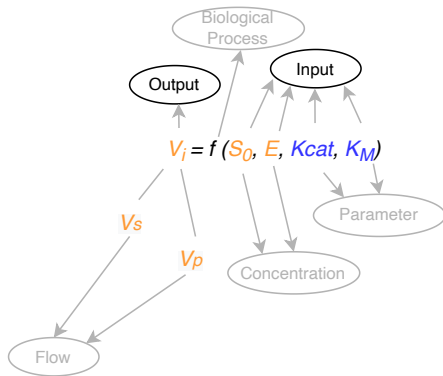
Backup slides

A deeper look at the models

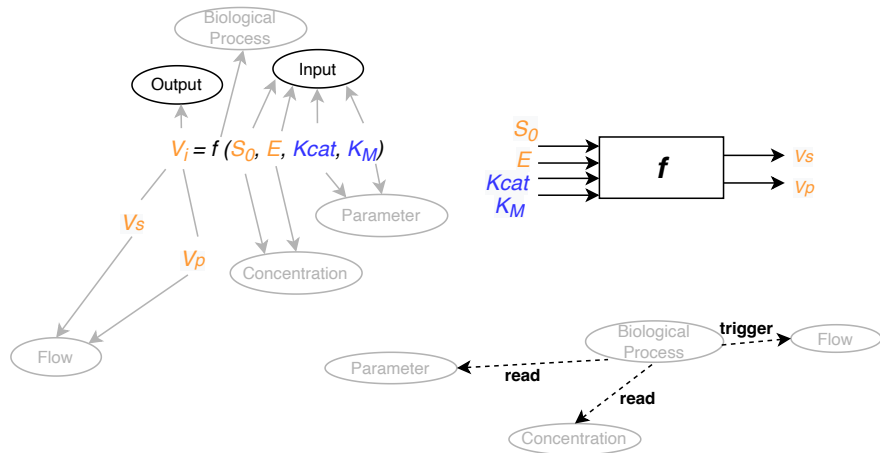
The experts help us to design the classes



The function f is a process



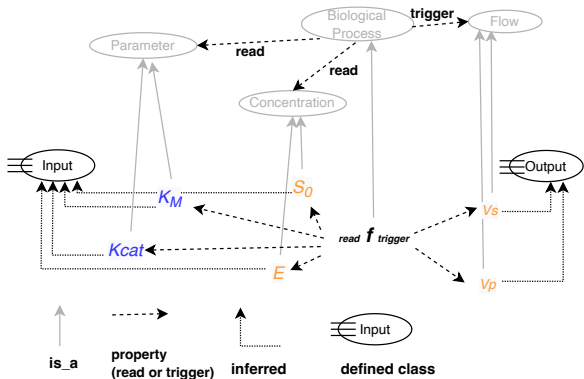
The ontology



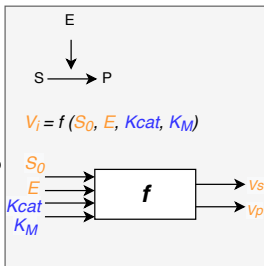
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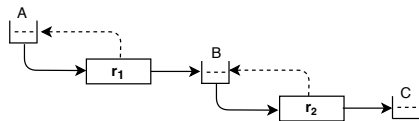
$Output \equiv Flow \sqcap \exists triggered_by. BiologicalProcess$

RDF Vocabulary

Problem: query math expressions to extract biological processes, concentrations, flows

$$M_1 = \{r_1 = f_1(a), r_2 = f_2(b)\}$$

$$M_2 = \left\{ \begin{array}{l} \text{Evolution} = \text{Production} - \text{Degradation} \\ \frac{da}{dt} = \quad \quad \quad - \quad \quad r_1 \\ \frac{db}{dt} = \quad r_1 \quad \quad - \quad \quad r_2 \\ \frac{dc}{dt} = \quad \quad \quad r_2 \end{array} \right.$$



RDF Vocabulary

$$M_1 = \{r_1 = f_1(a), r_2 = f_2(b)\}$$

```
expr = "'Equals'('ex:r1','Function'('ex:a'))"  
expr = "'Equals'('ex:r2','Function'('ex:b'))"
```

```
□ a math:Equals ;  
  rdf:_1 <ex:r1> ;  
  rdf:_2 [ a ode:Function ;  
          rdf:_1 <ex:a> ] .
```

```
□ a math:Equals ;  
  rdf:_1 <ex:r2> ;  
  rdf:_2 [ a ode:Function ;  
          rdf:_1 <ex:b> ] .
```


RDF Vocabulary

$$M_2 = \left\{ \begin{array}{l} \text{Evolution} = \text{Production} - \text{Degradation} \\ \frac{da}{dt} = \phantom{\text{Production}} - \phantom{\text{Degradation}} r_1 \\ \frac{db}{dt} = \phantom{\text{Production}} r_1 - \phantom{\text{Degradation}} r_2 \\ \frac{dc}{dt} = \phantom{\text{Production}} r_2 \end{array} \right.$$

```
x:G6PDH
  expr = "'Ode'(\
x:GAPDH
  Equation('Derivative'('ex:a','t'),\
x:GAPAT
  Function('t',\
x:G6PDH
  Addition('SignedTerm'('Minus'('Term'('ex:r1'))),\
x:GAPDH
  ))),\
x:GAPDH
  Equation('Derivative'('ex:b','t'),\
x:GAPDH
  Function('t',\
x:GAPDH
  Addition('SignedTerm'('Plus'('Term'('ex:r1'))),\
x:GAPDH
  SignedTerm'('Minus'('Term'('ex:r2')))\
x:GAPDH
  ))),\
x:GAPDH
  Equation('Derivative'('ex:c','t'),\
x:GAPDH
  Function('t',\
```

RDF Vocabulary

```
@prefix math: <http://www.example.org/math#> .
@prefix ode: <http://www.example.org/ode#> .
@prefix rdf: <http://www.w3.org/1999/02/22-rdf-syntax-ns#> .
@prefix rdfs: <http://www.w3.org/2000/01/rdf-schema#> .

[] a ode:Ode ;
  rdf:_1 [ a ode:Equation ;
    rdf:_1 [ a ode:Derivative ;
      rdf:_1 <ex:a> ;
      rdf:_2 _:t ] ;
    rdf:_2 [ a ode:Function ;
      rdf:_1 _:t ;
      rdf:_2 [ a math:Addition ;
        rdf:_1 [ a ode:SignedTerm ;
          rdf:_1 [ a math:Minus ;
            rdf:_1 _:_7 ] ] ] ] ] ] ;

rdf:_2 [ a ode:Equation ;
  rdf:_1 [ a ode:Derivative ;
    rdf:_1 <ex:b> ;
    rdf:_2 _:t ] ;
  rdf:_2 [ a ode:Function ;
```